



Appendices

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Appendix A: The Complete Model

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Appendix A: The Complete Model

The following summarizes the complete set of equations describing the equilibrium of the model.

1. Patient Households

The utility function for patient households is:

$$E_0 \sum_{t=0}^{\infty} (\beta G_C)^t z_t \left(\Gamma_c \log(c_t - \varepsilon c_{t-1}) + j_t \log h_t - \frac{\tau_t}{1+\eta} (n_{c,t}^{1+\xi} + n_{h,t}^{1+\xi})^{\frac{1+\eta}{1+\xi}} \right)$$

By solving the function, we can obtain the marginal utility of consumption:

$$u_{c,t} = \left[\frac{G_C - \varepsilon}{G_C - \beta \varepsilon G_C} \right] \left[\frac{z_t}{(c_t - \varepsilon c_{t-1})} - \frac{z_{t+1} \beta G_C \varepsilon}{(c_{t+1} - \varepsilon c_t)} \right] \quad (A.1)$$

and also the marginal utility of housing:

$$u_{h,t} = \frac{j_t z_t}{h_t} \quad (A.2)$$

The marginal disutility of working in the consumption goods sector and the housing sector are:

$$u_{nc,t} = -\tau_t n_{c,t}^{\xi} \left(n_{c,t}^{1+\xi} + n_{h,t}^{1+\xi} \right)^{\frac{\eta+\xi}{1+\xi}} \quad (\text{A.3})$$

$$u_{nh,t} = -\tau_t n_{h,t}^{\xi} \left(n_{c,t}^{1+\xi} + n_{h,t}^{1+\xi} \right)^{\frac{\eta+\xi}{1+\xi}} \quad (\text{A.4})$$

The budget constraint for patient households is:

$$\begin{aligned} c_t + \frac{k_{c,t}}{A_{k,t}} - \left(\frac{1-\delta_{kc}}{A_{k,t}} \right) k_{c,t-1} + k_{h,t} - (1-\delta_{kh}) k_{h,t-1} + q_t h_t - (1-\delta_h) q_t h_{t-1} \\ + b_t + k_{b,t} = \frac{w_{c,t}}{X_{wc,t}} n_{c,t} + \frac{w_{h,t}}{X_{wh,t}} n_{h,t} + R_{c,t} k_{c,t-1} + R_{h,t} k_{h,t-1} + p_{b,t} k_{b,t} \\ + \frac{R_{t-1} b_{t-1}}{\pi_t} + f_t - \psi_{h,t} q_t h_t - \phi_t \end{aligned} \quad (\text{A.5})$$

The corresponding first order conditions for patient households will be:

$$(1+\psi_t) u_{c,t} q_t = u_{h,t} + \beta G_C E_t (u_{c,t+1} q_{t+1} (1-\delta_h)) \quad (\text{A.6})$$

$$u_{c,t} = \beta G_C E_t (u_{c,t+1} R_{t+1} / \pi_{t+1}) \quad (\text{A.7})$$

$$\frac{u_{c,t}}{A_{k,t}} = \beta G_C E_t \left(u_{c,t+1} \left(R_{c,t+1} + \frac{1-\delta_{kc}}{A_{k,t}} \right) \right) \quad (\text{A.8})$$

$$u_{h,t} = \beta G_C E_t (u_{c,t+1} (R_{h,t+1} + 1 - \delta_{kc})) \quad (\text{A.9})$$

$$\frac{u_{c,t} w_{c,t}}{X_{wc,t}} = u_{nc,t} \quad (\text{A.10})$$

$$\frac{u_{c,t} w_{h,t}}{X_{wh,t}} = u_{nh,t} \quad (\text{A.11})$$

and the wage stickiness equations are:

$$\omega_{c,t} - \iota_{wc} \log \pi_{t-1} = \beta G_C (E_t \omega_{c,t+1} - \iota_{wc} \log \pi_t) - \varepsilon_{wc} \log (X_{wc,t} / X_{wc}) \quad (\text{A.12})$$

$$\omega_{h,t} - \iota_{wh} \log \pi_{t-1} = \beta G_C (E_t \omega_{h,t+1} - \iota_{wh} \log \pi_t) - \varepsilon_{wh} \log (X_{wh,t} / X_{wh}) \quad (\text{A.13})$$

2. Impatient Households

The utility function of borrowers is shown as follow:

$$E_0 \sum_{t=0}^{\infty} (\beta' G_C)^t z_t \left(\Gamma'_c \log(c'_t - \varepsilon' c'_{t-1}) + j_t \log h'_t - \frac{\tau_t}{1+\eta'} \left((n'_{c,t})^{1+\xi'} + (n'_{h,t})^{1+\xi'} \right)^{\frac{1+\eta'}{1+\xi'}} \right)$$

By solving the utility function, the marginal utility of consumption, the marginal utility of housing and the marginal disutility of working in two sectors are:

$$u'_{c,t} = \left[\frac{G_C - \varepsilon'}{G_C - \beta' \varepsilon' G_C} \right] \left[\frac{z_t}{(c'_t - \varepsilon' c'_{t-1})} - \frac{z_{t+1} \beta' G_C \varepsilon'}{(c'_{t+1} - \varepsilon' c'_t)} \right] \quad (\text{A.14})$$

$$u'_{h,t} = \frac{j_t z_t}{h'_t} \quad (\text{A.15})$$

$$u'_{nc,t} = -\tau_t n'^{\xi'}_{c,t} \left(n'^{1+\xi'}_{c,t} + n'^{1+\xi'}_{h,t} \right)^{\frac{\eta'+\xi'}{1+\xi'}} \quad (\text{A.16})$$

$$u'_{nh,t} = -\tau_t n'^{\xi'}_{h,t} \left(n'^{1+\xi'}_{c,t} + n'^{1+\xi'}_{h,t} \right)^{\frac{\eta'+\xi'}{1+\xi'}} \quad (\text{A.17})$$

The budget and borrowing constraint for impatient households are:

$$c'_t + q_t h'_t - (1 - \delta_h) q_t h'_{t-1} + \frac{R_{t-1}}{\pi_t} b'_{t-1} = \frac{w'_{c,t}}{X'_{wc,t}} n'_{c,t} + \frac{w'_{h,t}}{X'_{wh,t}} n'_{h,t} + b'_t + f'_t - \psi_{h,t} q_t h'_t \quad (\text{A.18})$$

$$b'_t = mE_t \left(q_{t+1} h'_t \pi_{t+1} / R_t \right) \quad (\text{A.19})$$

and the first-order conditions are:

$$(1 + \psi_t) u'_{c,t} q_t = u'_{h,t} + \beta' G_C E_t \left(u'_{c,t+1} (q_{t+1} (1 - \delta_h)) \right) + E_t \left(\lambda_t \frac{m_t q_{t+1} \pi_{t+1}}{R_t} \right) \quad (\text{A.20})$$

$$u'_{c,t} = \beta' G_C E_t \left(u'_{c,t+1} \frac{R_t}{\pi_{t+1}} \right) + \lambda_t \quad (\text{A.21})$$

$$\frac{u'_{c,t} w'_{c,t}}{X'_{wc,t}} = u'_{nc,t} \quad (\text{A.22})$$

$$\frac{u'_{c,t} w'_{h,t}}{X'_{wh,t}} = u'_{nh,t} \quad (\text{A.23})$$

where λ_t represents the multiplier on the borrowing constraint.

The sticky wage equations for impatient households are:

$$\omega'_{c,t} - \iota_{wc} \log \pi_{t-1} = \beta' G_C (E_t \omega'_{c,t+1} - \iota_{wc} \log \pi_t) - \varepsilon'_{wc} \log (X_{wc,t} / X_{wc}) \quad (\text{A.24})$$

$$\omega'_{h,t} - \iota_{wh} \log \pi_{t-1} = \beta' G_C (E_t \omega'_{h,t+1} - \iota_{wh} \log \pi_t) - \varepsilon'_{wh} \log (X_{wh,t} / X_{wh}) \quad (\text{A.25})$$

3. Consumption Goods Sector

The final goods firms aim to maximize the profit function as follows

$$\Pi_c = \max \frac{Y_t}{X_t} - (w_{c,t} n_{c,t} + w'_{c,t} n'_{c,t} + R_{c,t} k_{c,t-1})$$

where the production technology of intermediate goods firms is:

$$Y_t = \left(A_{c,t} (n_{c,t}^\alpha n'_{c,t}^{1-\alpha}) \right)^{1-v_c} k_{c,t-1}^{v_c} \quad (\text{A.26})$$

The first-order condition for the final goods firms will be

$$w_{c,t} = (1 - v_c) \alpha \frac{Y_t}{X_t n_{c,t}} \quad (\text{A.27})$$

$$w'_{c,t} = (1 - v_c)(1 - \alpha) \frac{Y_t}{X_t n'_{c,t}} \quad (\text{A.28})$$

$$R_{c,t} = \frac{v_c Y_t}{X_t k_{c,t-1}} \quad (\text{A.29})$$

The Phillips curve is:

$$\log \pi_t - \iota_\pi \log \pi_{t-1} = \beta G_C (E_t \log \pi_{t+1} - \iota_\pi \log \pi_t) - \varepsilon_\pi \log (X_t / X) + \log \mu_{p,t} \quad (\text{A.30})$$

4. Housing Sector

The housing firms solve the follow problem:

$$\Pi_h = \max q_t I H_t - (w_{h,t} n_{h,t} + w'_{h,t} n'_{h,t} + R_{h,t} k_{h,t-1} + p_{l,t-1} l_{t-1} + p_{b,t} k_{b,t})$$

and the production technology of housing firms is:

$$I H_t = \left(A_{h,t} (n_{h,t}^\alpha n'_{h,t}^{1-\alpha}) \right)^{1-\nu_h - \nu_b - \nu_l} (k_{h,t-1} + G_{i,t-1})^{\nu_h} k_{b,t}^{\nu_b} l_{t-1}^{\nu_l} \quad (\text{A.31})$$

The first-order conditions for the housing firms will be

$$w_{h,t} = \frac{(1-v_h - v_b - v_l)\alpha q_t I H_t}{n_{h,t}} \quad (\text{A.32})$$

$$w'_{h,t} = \frac{(1-v_h - v_b - v_l)(1-\alpha)q_t I H_t}{n'_{h,t}} \quad (\text{A.33})$$

$$R_{h,t} = \frac{v_h q_t I H_t}{k_{h,t-1} + G_{t,t-1}} \quad (\text{A.34})$$

$$p_{l,t-1} = \frac{v_l q_t I H_t}{l_{t-1}} \quad (\text{A.35})$$

$$p_{b,t} = \frac{v_b q_t I H_t}{k_{b,t}} \quad (\text{A.36})$$

5. Government

The budget of government is:

$$G_t = \psi_{h,t} q_t (h_t + h'_t) + p_{l,t-1} l_{t-1} \quad (\text{A.37})$$

The affordable housing policy equation

$$G_{i,t} = (1 - \theta_g) G_t + g_t \quad (\text{A.38})$$

The land policy equations is

$$p_{l,t} = p_{l,t-1}^{\rho_{pl}} \frac{\mu_{pl,t}}{e_t} \quad (\text{A.39})$$

The monetary policy equation is

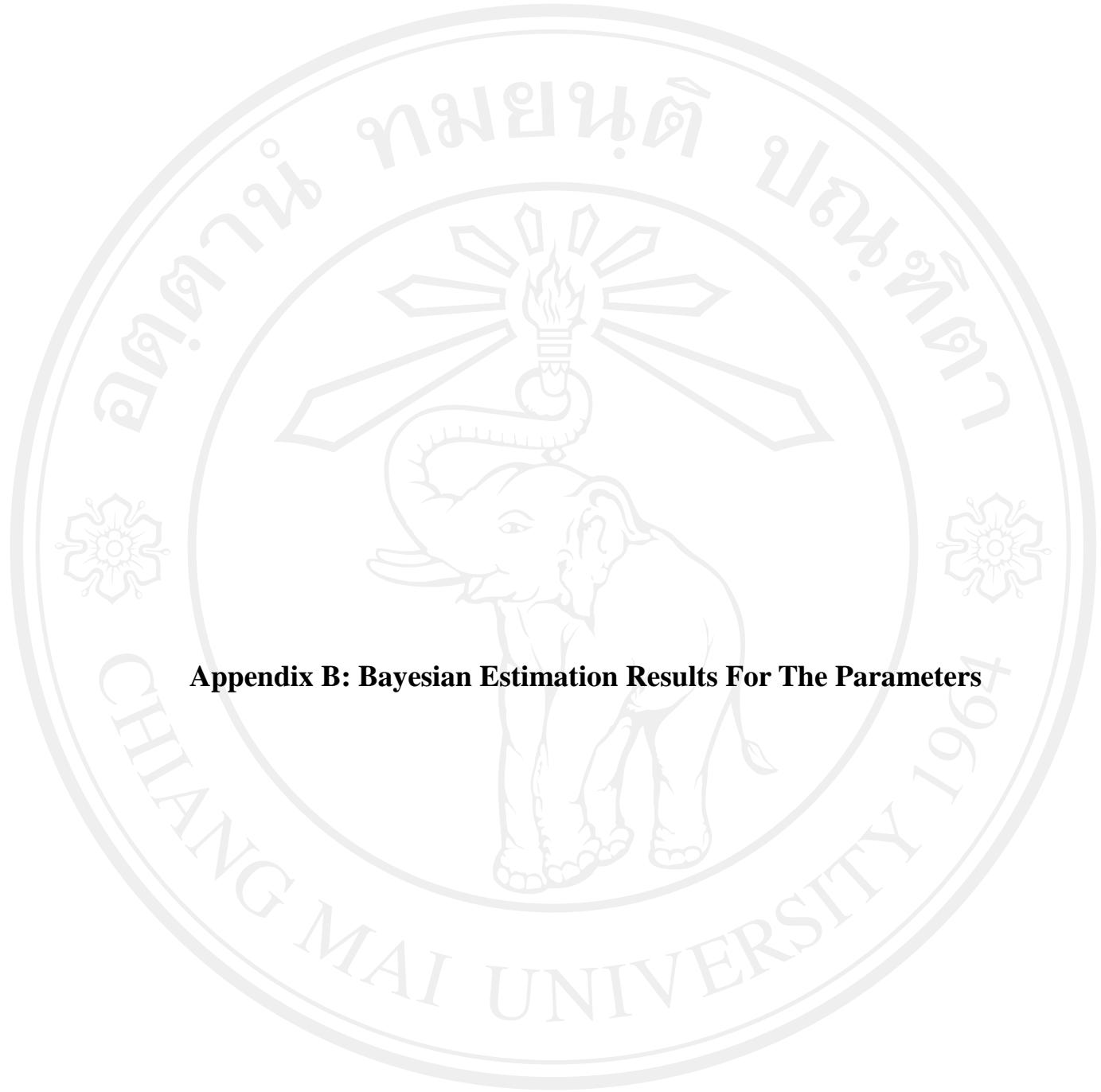
$$R_t = R_{t-1}^{r_R} \pi_t^{(1-r_R)r_\pi} \left(\frac{GDP_t}{G_C GDP_{t-1}} \right)^{(1-r_R)r_Y} \overline{rr}^{1-r_R} \mu_{R,t} \quad (\text{A.40})$$

where $GDP_t = Y_t + IH_t$ is the sum of the value of two sectors.

The market equilibrium conditions are:

$$C_t + IK_{c,t}/A_{k,t} + IK_{h,t} + G_t + k_{b,t} = Y_t - \phi \quad (\text{A.41})$$

$$h_t + h'_t - (1 - \delta_h)(h_{t-1} + h'_{t-1}) = IH_t \quad (\text{A.42})$$

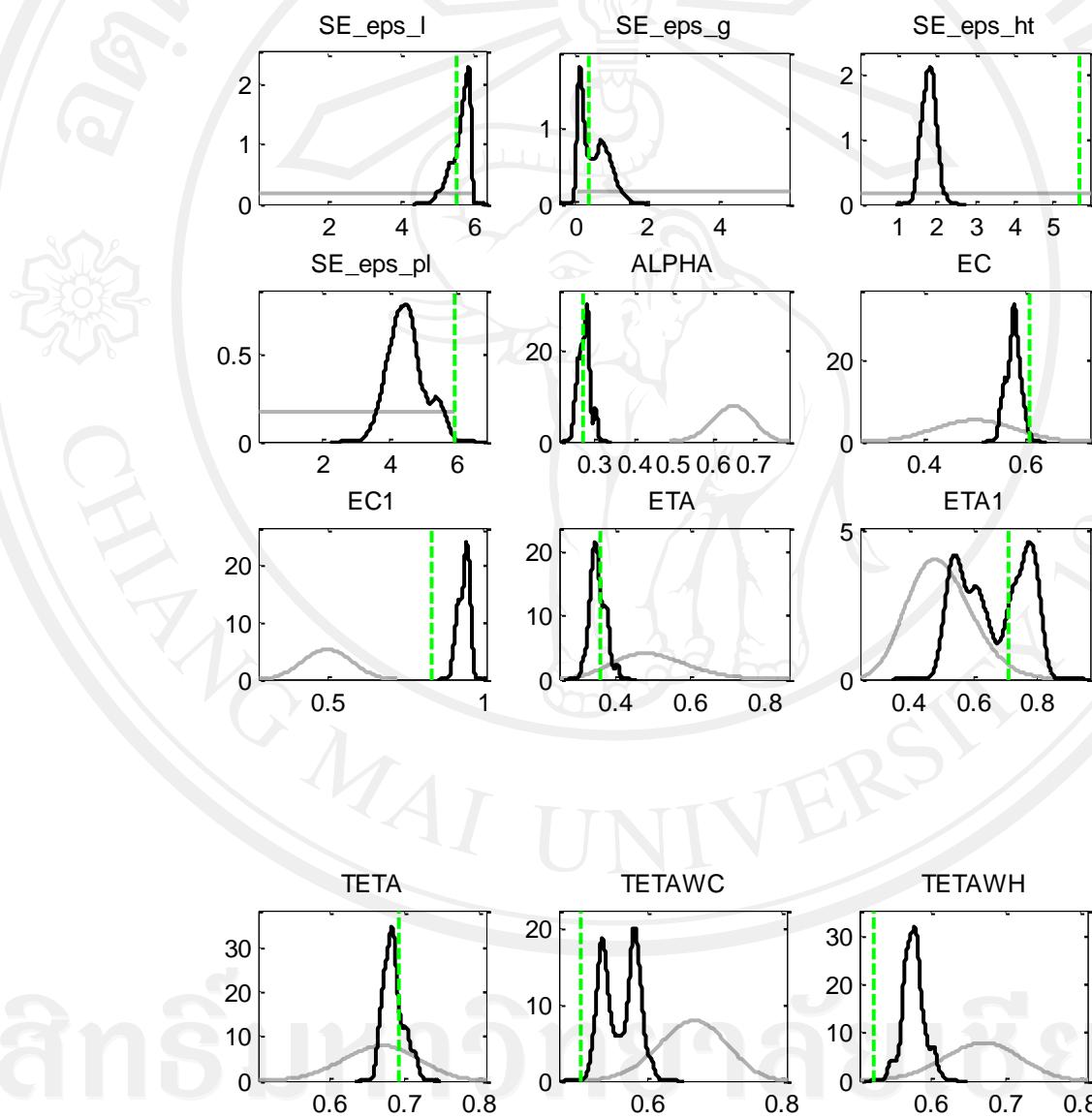


Appendix B: Bayesian Estimation Results For The Parameters

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Appendix B: Bayesian Estimation Results For The Parameters

Figure A.1: The Priors and Posteriors of Parameters



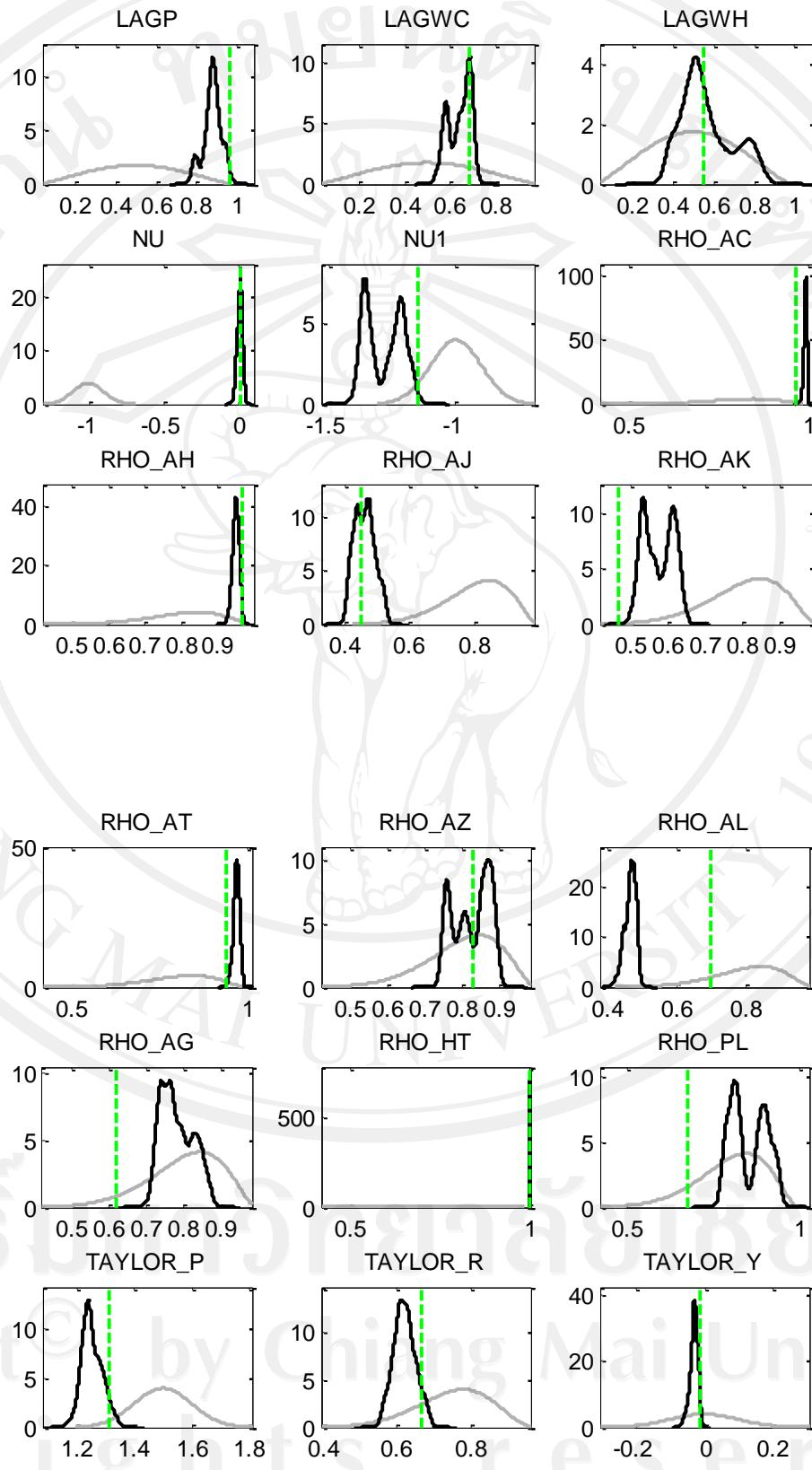


Figure A.2: Multivariate MH convergence diagnosis

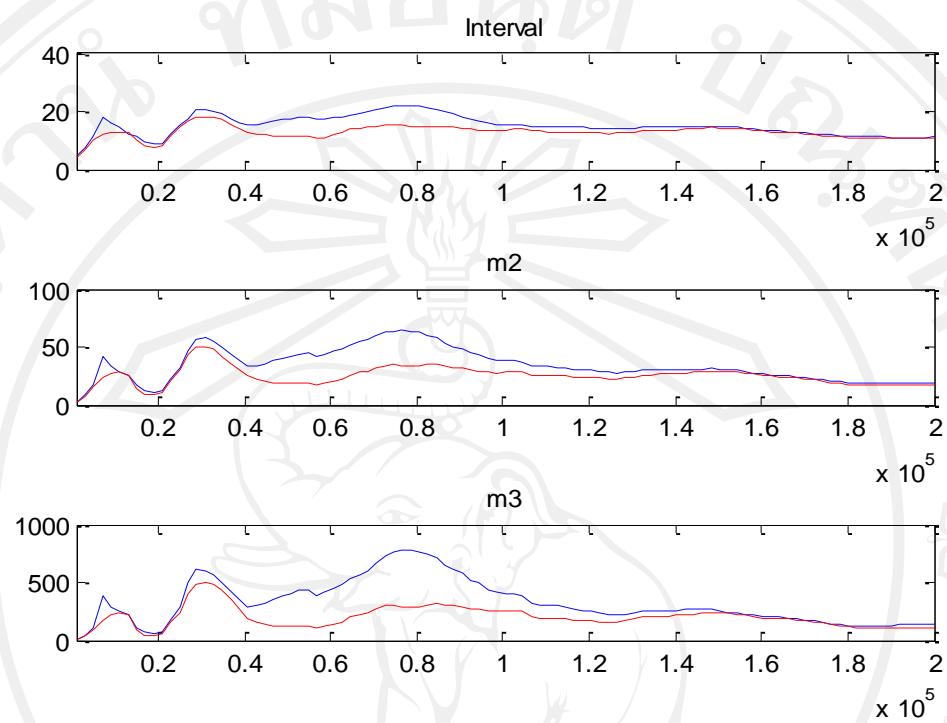


Figure A.3: Smoothed Variables

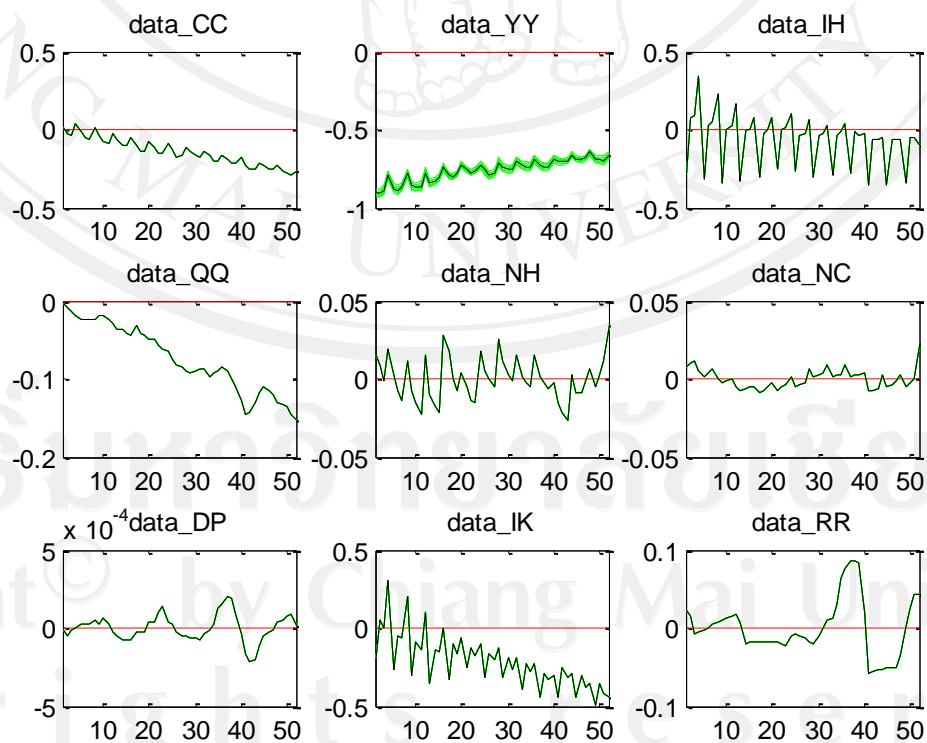
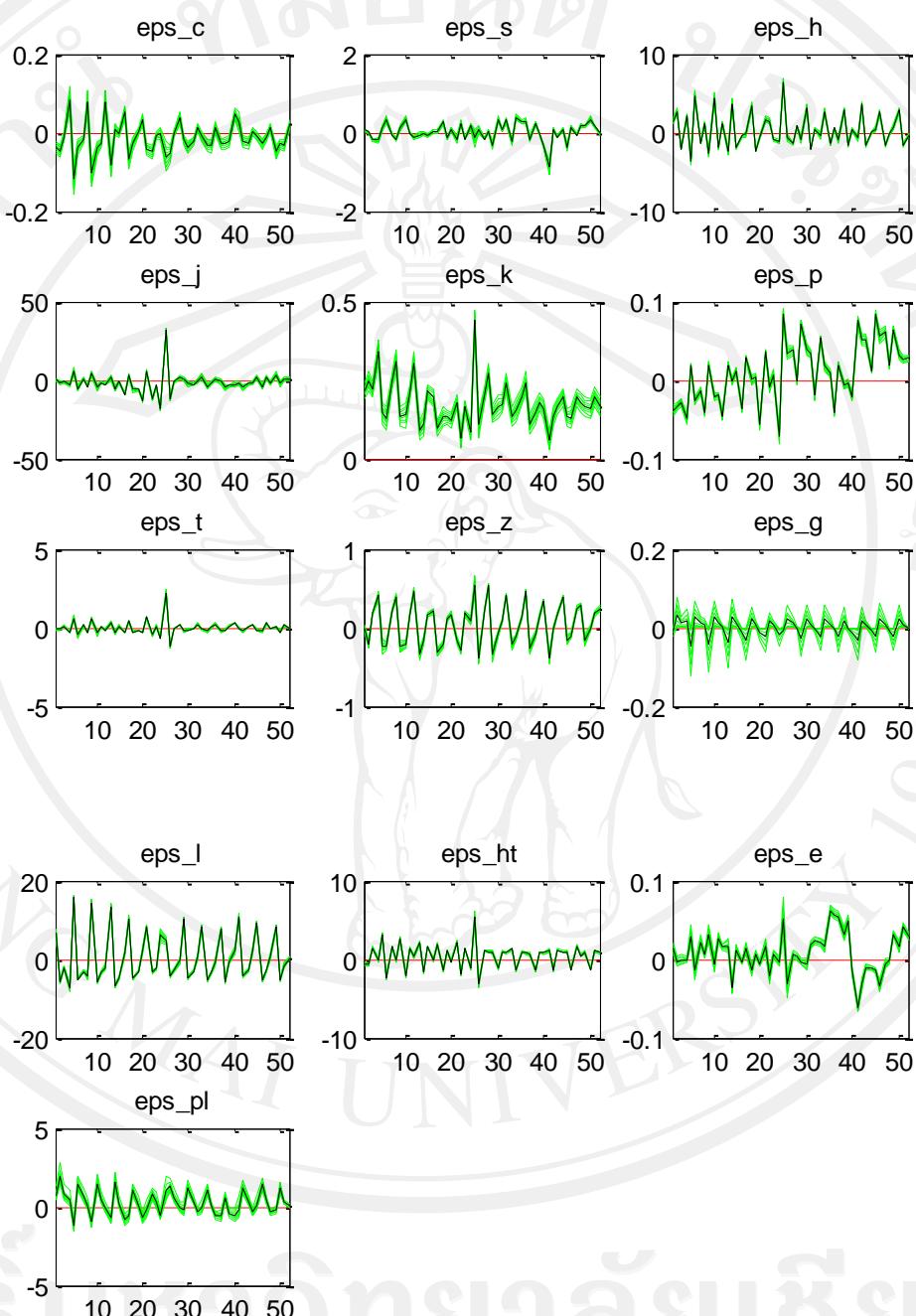
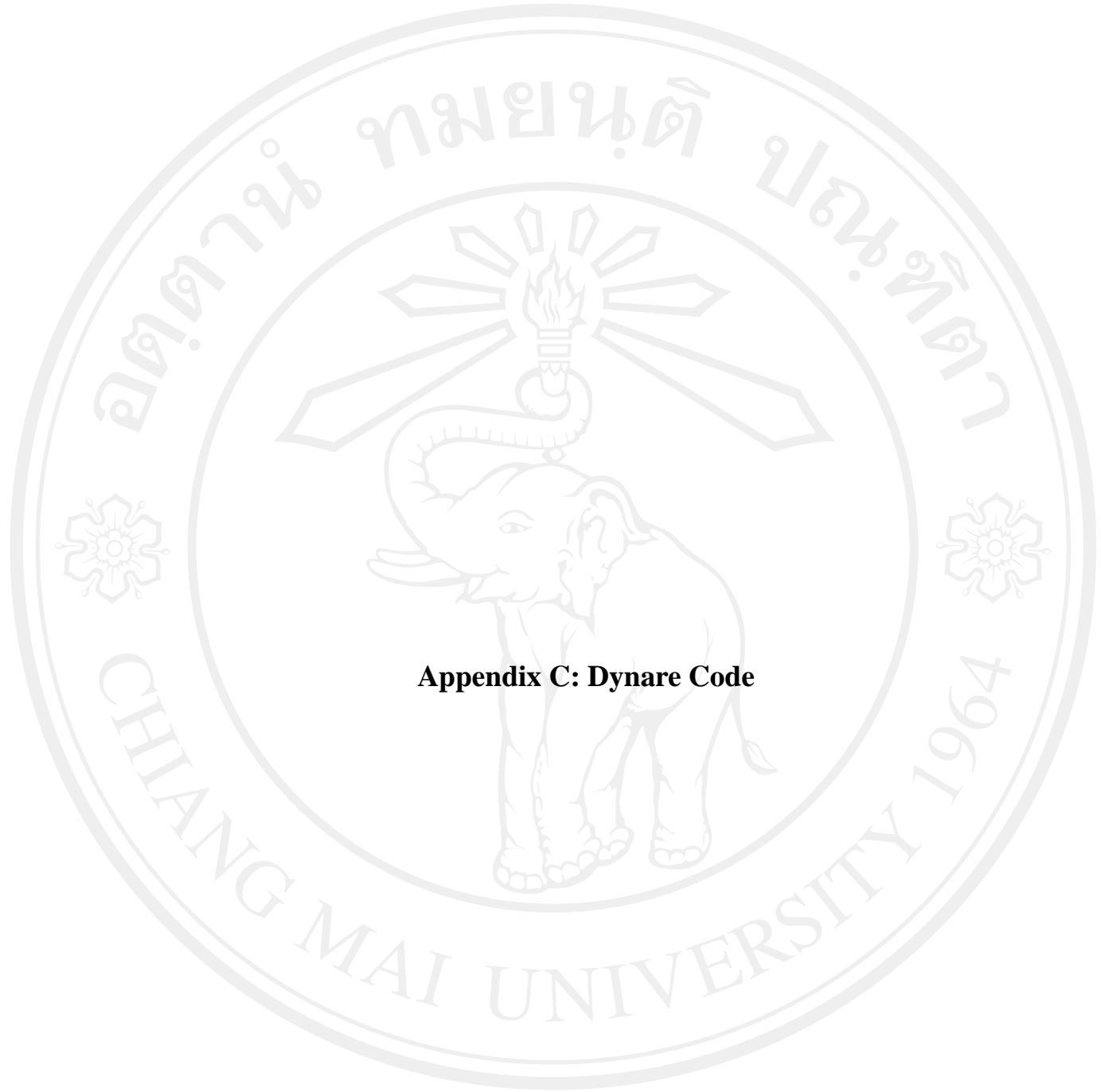


Figure A.4: Smoothed Shocks





Appendix C: Dynare Code

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Appendix C: Dynare Code

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var
a_c a_h a_j a_k a_t a_z b c c1 a_s a_ht a_pl a_g
data_CC data_DP data_IH data_IK data_NC data_NH data_QQ data_RR data_WC data_WH
data_YY data_KH dp h h1 l kc kh lm nc nc1 nh nh1 q r rkc rkf rkb
uc uc1 wc wc1 wh wh1 X xwc xwc1 xwh xwh1 Y zata_GDP zkc zkh kb
pl land G g1 g2 kt;

varexo eps_c eps_s eps_h eps_j eps_k eps_p eps_t eps_z eps_g eps_l eps_ht eps_e eps_pl;

parameters BETA BETA1 M JEI MUC MUH DKC DH ET A ETA1 EC EC1 FIKC FIKH
ALPHA TETA TAYLOR_R TAYLOR_Y TAYLOR_P X_SS LAGP
RHO_AC RHO_AH RHO_AJ RHO_AK RHO_AT RHO_AZ RHO_AS
NU NU1 KAPPA XW_SS TETAWC TETAWH LAGWC LAGWH ZETAKC
TREND_AC TREND_AH TREND_AK MUBB RHO_AG
MUL RHO_AL RHO_HT TETAG ht RHO_PL;

//% local model parameters: IKC_SS IKH_SS TRENDY TRENDK TRENDH ;
//% local model parameters: NC_SS NH_SS CC_SS IH_SS IK_SS QQ_SS

//% Calibrated parameters
X_SS = 1.15 ;
XW_SS = 1.15 ;
BETA = 0.985 ;
BETA1 = 0.97 ;
JEI = 0.16 ;
MUC = 0.436 ;
MUH = 0.20 ;
MUBB = 0.20 ;
MUL = 0.20 ;
DKC = 0.025 ;
DH = 0.03 ;
TRENDY = 0.01 ;
TRENDK = 0.70 ;
TRENDH = 0.1 ;
ZETAKC = 0.1 ;
KAPPA = 0.1 ;

//% Estimated parameters (mean)
ALPHA = 0.64 ;
EC = 0.31423 ;

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EC1 = 0.56897 ;
ETA = 0.52381 ;
ETA1 = 0.50602 ;
FIKC = 14.47013 ;
FIKH = 11.02808 ;
LAGP = 0.69106 ;
LAGWC = 0.08301 ;
LAGWH = 0.41186 ;
NU = -0.6833 ;
NU1 = -0.96538 ;
TAYLOR_P = 1.40444 ;
TAYLOR_R = 0.59913 ;
TAYLOR_Y = 0.51261 ;
TETA = 0.83671 ;

//% a fraction cannot set prices optimally in consumption sector
TETAWC = 0.79204 ;
TETAWH = 0.91181 ;
TETAG = 0.95;
TREND_AC = 0.0032 ;
TREND_AH = 0.0008 ;
TREND_AK = 0.00275 ;
ZETAKC = 0.70394 ;

//% 2 - Shocks parameters (mean)
RHO_AC = 0.94265 ;
RHO_AH = 0.99713 ;
RHO_AJ = 0.95875 ;
RHO_AK = 0.92384 ;
RHO_AT = 0.92158 ;
RHO_AZ = 0.96439 ;
RHO_AS = 0.975;
RHO_AL = 0.94;
RHO_AG = 0.96;
RHO_HT = 0.94;
RHO_PL = 0.975;
STDERR_AG = 0.04;
STDERR_AL = 0.01;
STDERR_AC = 0.01011 ;
STDERR_AE = 0.00336 ;
STDERR_AH = 0.01942 ;
STDERR_AJ = 0.04094 ;

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STDERR_AK = 0.01068 ;
STDERR_AP = 0.00457 ;
STDERR_AS = 0.00034*100 ;
STDERR_AT = 0.0252 ;
STDERR_AZ = 0.01711 ;
STDERR_HT=0.01;
STDERR_PL=0.01;
ht=0.01;

model ;

# TRENDK = TREND_AC + 1/(1-MUC)*TREND_AK ;
# TRENDY = TREND_AC + MUC/(1-MUC)*TREND_AK;
# TRENDH = (1-MUH-KAPPA-MUBB)*TREND_AH + (MUH+MUBB)*TREND_AC +
    MUC*(MUH+MUBB)/(1-MUC)*TREND_AK ;
# TRENDQ = (1-MUH-MUBB)*TREND_AC + MUC*(1-MUH-MUBB)/(1-MUC)*TREND_AK -
    (1-MUH-KAPPA-MUBB)*TREND_AH ;

# IIEXPTRENDY = exp ( TRENDY ) ;
# IIEXPTRENDK = exp ( TRENDK ) ;
# IIEXPTRENDQ = exp ( TRENDQ ) ;
# IIEXPTRENTH = exp ( TRENDH ) ;
# llgamma_k = exp ( TREND_AK );

# IIr = 1 / BETA ;
# IIr1 = IIr / IIEXPTRENDY - 1 ;

# IIZETA0 = BETA*IIEXPTRENDK*MUC/(llgamma_k-BETA*(1-DKC))/X_SS ;
# IIZETA1 = BETA*IIEXPTRENDY*MUH/(1-BETA*(1-DKH));
# IIZETA2 = JEI/(1-BETA*IIEXPTRENDQ*(1-DH)) ;
# IIZETA3 = JEI/(1-BETA1*IIEXPTRENDQ*(1-DH)-IIEXPTRENDQ*(BETA-BETA1)*M) ;
# IIZETA4 = (IIr/IIEXPTRENDY-1)*M*IIEXPTRENDQ/IIr ;

# IIDH1 = 1 - (1-DH)/IIEXPTRENTH ;
# IIDKC1 = 1 - (1-DKC)/IIEXPTRENDK ;
# IIDKH1 = 1 - (1-DKH)/IIEXPTRENDY ;

# IICHI1 = 1+IIDH1*IIZETA2*(1-IIr1*IIZETA1-KAPPA-ALPHA*(1-MUH-KAPPA-MUBB)) ;
# IICHI2 = (IIr1*IIZETA1+KAPPA+ALPHA*(1-MUH-KAPPA-MUBB))*IIDH1*IIZETA3+
    IIZETA4*IIZETA3 ;
# IICHI3 = (X_SS-1+IIr1*IIZETA0*X_SS+ALPHA*(1-MUC))/X_SS ;

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# IIChI4 = 1+IIDH1*IIZETA3*(1-(1-ALPHA)*(1-MUH-KAPPA-MUBB))+IIZETA4*IIZETA3 ;
# IIChI5 = (1-ALPHA)*(1-MUH-KAPPA-MUBB)*IIDH1*IIZETA2 ;
# IIChI6 = (1-ALPHA)*(1-MUC)/X_SS ;

# IIChY = (IIChI3*IIChI4+IIChI2*IIChI6)/(IIChI1*IIChI4-IIChI2*IIChI5) ;
# IIChYPRIME = (IIChI1*IIChI6+IIChI3*IIChI5)/(IIChI1*IIChI4-IIChI2*IIChI5) ;
# IIQIY = IIDH1*IIZETA2*IIChY + IIDH1*IIZETA3*IIChYPRIME ;

# IIRATION = (1-MUH-KAPPA-MUBB)/(1-MUC)*X_SS*IIQIY ;
# IIHNC = IIRATION^(1/(1-NU)) ;
# IIHNC1 = IIRATION^(1/(1-NU1)) ;

# IInc =
( ((1-MUC)*ALPHA/IIChY/X_SS/XW_SS)/(1+IIRATION)^((ETA+NU)/(1-NU)) )^(1/(1+ETA)) ;
# IIhh = IIHNC*IInc ;

# IInc1 =
( ((1-MUC)*(1-ALPHA)/IIChYPRIME/X_SS/XW_SS)/(1+IIRATION)^((ETA1+NU1)/(1-NU1)) )^(1/
(1+ETA1)) ;
# IIhh1 = IIHNC1*IInc1 ;

# IIY = (IInc^ALPHA)*(IInc1^(1-ALPHA)) * IIZETA0^(MUC/(1-MUC)) /
IIEXPTRENDK^(MUC/(1-MUC)) ;

# III = (IIhh^(ALPHA*(1-MUH-KAPPA-MUBB))) * (IIhh1^(1-ALPHA)*(1-MUH-KAPPA-MUBB))
* IIZETA1^MUH * (IIY*IIQIY)^MUH / IIEXPTRENDY^(MUH) * (MUBB*IIY*IIQIY)^MUBB ;

# IIq = IIQIY*IIY / III ;

# IIQI = IIQIY*IIY ;

# IIkc = IIZETA0*IIY ;

# IIkh = IIZETA1*IIQI ;
# IIc = IIChY*IIY ;
# IIc1 = IIChYPRIME*IIY ;
# IIh = IIZETA2*IIc/IIq ;
# IIh1 = IIZETA3*IIc1/IIq ;

# IIb = M*IIq*IIEXPTRENDQ*IIh1/IIr ;

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# IIcc = Iic + Iic1 ;
# IIIH = III ;
# IIIK = IIDKC1 * IIkc + IIDKH1* IIkh ;

# IIikc = IIDKC1 * IIkc ;
# IIikh = IIDKH1 * IIkh ;
# IKC_SS = log(IIikc) ;
# IKH_SS = log(IIikh) ;

# BB_SS = log(IIb) ;
# CC_SS = log(IIcc) ;
# IH_SS = log(IIIH) ;
# IK_SS = log(IIIK) ;
# QQ_SS = log(IIq) ;
# RR_SS = log(IIr) ;
# NC_SS = ALPHA*log(IInc) + (1-ALPHA)*log(IInc1) ;
# NH_SS = ALPHA*log(IInh) + (1-ALPHA)*log(IInh1) ;

//% Patient households

//% 1 constraint for patient households
exp(c) + exp(kc)/exp(a_k) + exp(kh) + exp(q+h) + ht*exp(q+h+a_ht)+ exp(b)=
(1-DH)*exp(q+h(-1)-TRENDH) + exp(wc+nc) + exp(wh+nh) + (1-1/exp(X))*exp(Y) +
exp(r(-1)-dp+b(-1)-TRENDY)
+ (exp(rkc+zkc)+(1-DKC)/exp(a_k))*exp(kc(-1)-TRENDK) +
(exp(rkh+zkh)+(1-DKH))*exp(kh(-1)-TRENDY);

//% 2 respect to h
exp(q+uc)+ ht*exp(q+uc+a_ht) = exp(a_z+a_j-h)*JEI +
BETA*exp(TRENDY)*(1-DH)*exp(q(+1)+TRENDQ+uc(+1)-TRENDY);

//% 3 respect to b
exp(uc) = BETA*exp(TRENDY)*exp(r-dp(+1)+uc(+1)-TRENDY) ;

//% 4
exp(uc)/exp(a_k) * ( 1 + FIKC*(exp(kc-kc(-1))-1 ) ) =
BETA*exp(TRENDY) * exp(uc(+1)-TRENDK)
* ( exp(rkc(+1)+zkc(+1)) + (1-DKC)/exp(a_k(+1)) +
FIKC/2*exp(TRENDK)*(exp(kc(+1))^2/(exp(kc))^2-1 ) ) ;

//% 5

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exp(uc) * ( 1 + FIKH*(exp(kh-kh(-1))-1 ) ) =
BETA*exp(TRENDY) * exp(uc(+1)-TRENDY)
* ( exp(rkh(+1)+zkh(+1)) + (1-DKH) + FIKH/2*exp(TRENDY)*(exp(kh(+1))^2/(exp(kh))^2-1 ) ) ;

//% 6
exp(a_t) * exp(a_z) * ( exp(nc)^{1-NU} + exp(nh)^{1-NU} )^{(ETA+NU)/(1-NU)} *
exp(nc)^{-NU}
= exp(wc+uc-xwc) ;

//% 7
exp(a_t) * exp(a_z) * ( exp(nc)^{1-NU} + exp(nh)^{1-NU} )^{(ETA+NU)/(1-NU)} *
exp(nh)^{-NU}
= exp(wh+uc-xwh) ;

//% Impatient households

//% 8
exp(c1) + exp(q+h1)+ht*exp(q+h1+a_ht) - (1-DH)*exp(q+h1(-1)-TRENDH) = exp(wc1+nc1) +
exp(wh1+nh1) +
exp(b) - exp(r(-1)-dp+b(-1)-TRENDY) ;

//% 9
exp(q+uc1)+ht*exp(q+uc1+a_ht) = exp(a_z+a_j-h1 )*JEI+
BETA1*exp(TRENDY)*(1-DH)*exp(q(+1)+TRENDQ+uc1(+1)-TRENDY) +
M*exp(lm+(q(+1)+ TRENDQ -r+dp(+1))) ;

//% 10
b = log(M) + (q(+1)+TRENDQ) + h1 - r + dp(+1) ;

//% 11
exp(uc1) = BETA1*exp(TRENDY)*exp(r-dp(+1)+uc1(+1)-TRENDY) + exp(lm) ;

//% 12
exp(a_t) * exp(a_z) * ( exp(nc1)^{1-NU1} + exp(nh1)^{1-NU1} )^{(ETA1+NU1)/(1-NU1)} *
(exp(nc1))^ {-NU1}
= exp(wc1+uc1-xwc1) ;

//% 13
exp(a_t) * exp(a_z) * ( exp(nc1)^{1-NU1} + exp(nh1)^{1-NU1} )^{(ETA1+NU1)/(1-NU1)} *
(exp(nh1))^ {-NU1}
= exp(wh1+uc1-xwh1) ;

```

//% Firms

//% 14

$$Y = (1-MUC)*(a_c) + (1-MUC)*ALPHA*nc + (1-MUC)*(1-ALPHA)*nc1 + MUC*(kc(-1)+zkc-TRENDK);$$

//% 15

$$I = (1-MUH-MUBB-MUL)*(a_h) + MUBB*kb + (1-MUH-MUBB-MUL)*ALPHA*nh + (1-MUH-MUBB-MUL)*(1-ALPHA)*nh1 + MUH*(kt(-1)+zh-TRENDY) + MUL*land(-1);$$

//% 16

$$\exp(kt) = \exp(kh) + \exp(g2);$$

//% 17

$$\log(1-MUC) + \log(ALPHA) + Y - X - nc = wc;$$

//% 18

$$\log(1-MUC) + \log(1-ALPHA) + Y - X - nc1 = wc1;$$

//% 19

$$\log(1-MUH-MUL-MUBB) + \log(ALPHA) + q + I - nh = wh;$$

//% 20

$$\log(1-MUH-MUL-MUBB) + \log(1-ALPHA) + q + I - nh1 = wh1;$$

//% 21

$$\log(MUC) + Y - X - kc(-1) + TRENDK = rkc + zkc;$$

//% 22

$$\log(MUH) + q + I - kh(-1) + TRENDY = rkh + zh;$$

//% 23

$$\log(MUL) + q + I - land(-1) + pl(-1);$$

//% 24

$$\log(MUBB) + q + I = rkb + kb;$$

//% 25

$$dp - LAGP*dp(-1) = BETA*\exp(TRENDY)*(dp(1) - LAGP*dp) -$$

```

((1-TETA)*(1-BETA*exp(TRENDY)*TETA)/TETA)*(X-log(X_SS)) + eps_p ;

//% 26
r = TAYLOR_R*r(-1) + (1-TAYLOR_R)*(TAYLOR_P)*dp +
(1-TAYLOR_R)*TAYLOR_Y*(zata_GDP-zata_GDP(-1)) +
(1-TAYLOR_R)*log(1/BETA) + eps_e - a_s/100;

//% 27
exp(h) + exp(h1) = (1-DH)*exp(h(-1)-TRENDH) + (1-DH)*exp(h1(-1)-TRENDH) + exp(l) ;

//% DEFINITIONS OF MARGINAL UTILITY OF CONSUMPTION

//% 28
exp(uc) = exp(a_z) * ( ((exp(TRENDY)-EC)/(exp(TRENDY)-BETA*EC*exp(TRENDY))) *
( 1 / ( exp(c) - EC*exp(c(-1)-TRENDY) ) - BETA*EC*exp(TRENDY) / ( exp(c(+1)+TRENDY)
- EC*exp(c) ) ) ) ;

//% 29
exp(uc1) = exp(a_z) * ( ((exp(TRENDY)-EC1)/(exp(TRENDY)-BETA1*EC1*exp(TRENDY))) *
( 1 / ( exp(c1) - EC1*exp(c1(-1)-TRENDY) ) - BETA1*EC1*exp(TRENDY) /
( exp(c1(+1)+TRENDY) - EC1*exp(c1) ) ) ) ;

//% WAGE EQUATIONS
//% 30
wc = (1/(1+BETA*exp(TRENDY)))*wc(-1) + (1-(1/(1+BETA*exp(TRENDY))))*(wc(1)+dp(+1))
- (1+BETA*exp(TRENDY)*LAGWC)/(1+BETA*exp(TRENDY))*dp +
LAGWC/(1+BETA*exp(TRENDY))*dp(-1)
-((1-TETAWC)*(1-BETA*exp(TRENDY)*TETAWC)/TETAWC)/(1+BETA*exp(TRENDY))*(xwc-
log(XW_SS)) ;

//% 31
wc1 = (1/(1+BETA1*exp(TRENDY)))*wc1(-1) +
(1-(1/(1+BETA1*exp(TRENDY))))*(wc1(1)+dp(+1))
- (1+BETA1*exp(TRENDY)*LAGWC)/(1+BETA1*exp(TRENDY))*dp +
LAGWC/(1+BETA1*exp(TRENDY))*dp(-1) -
((1-TETAWC)*(1-BETA1*exp(TRENDY)*TETAWC)/TETAWC)/(1+BETA1*exp(TRENDY))*(xw
c1-log(XW_SS)) ;

//% 32
wh = (1/(1+BETA*exp(TRENDY)))*wh(-1) + (1-(1/(1+BETA*exp(TRENDY))))*(wh(1)+dp(+1))

```

```

- (1+BETA*exp(TRENDY)*LAGWH)/(1+BETA*exp(TRENDY))*dp +
LAGWH/(1+BETA*exp(TRENDY))*dp(-1) -
((1-TETAWH)*(1-BETA*exp(TRENDY)*TETAWH)/TETAWH)/(1+BETA*exp(TRENDY))*(xwh-l
og(XW_SS)) ;

//% 33
wh1 = (1/(1+BETA1*exp(TRENDY)))*wh1(-1) +
(1-(1/(1+BETA1*exp(TRENDY))))*(wh1(1)+dp(+1))
- (1+BETA1*exp(TRENDY)*LAGWH)/(1+BETA1*exp(TRENDY))*dp +
LAGWH/(1+BETA1*exp(TRENDY))*dp(-1) -
((1-TETAWH)*(1-BETA1*exp(TRENDY)*TETAWH)/TETAWH)/(1+BETA1*exp(TRENDY))*(xw
h1-log(XW_SS)) ;

//% 34
exp(G)=ht*exp(q+h1+a_ht)+ht*exp(q+h+a_ht) +exp(land+pl);

//% 35
exp(g1)=TETAG*exp(G);

//% 36
exp(g2)=(1-TETAG)*exp(G)+a_g/10;

//% 37
exp(c)+exp(c1)+exp(kc) - (1-DKC)*exp(kc(-1)-TRENDK) + exp(kh) -
(1-DKH)*exp(kh(-1)-TRENDY)+exp(kb)+exp(G)=exp(Y);

//% CAPACITY

//% 38
exp(rkc+a_k) / ( (1/BETA)*exp(TREND_AK)-(1-DKC) ) = ZETAKC/(1-ZETAKC)*exp(zkc) +
(1-ZETAKC/(1-ZETAKC));

//% 39
exp(rkh) / ( (1/BETA)-(1-DKH) ) = ZETAKC/(1-ZETAKC)*exp(zkh) + (1-ZETAKC/(1-ZETAKC));

//% 40
pl = RHO_AL* pl(-1) + eps_l/2 - a_pl/10;

//% DEFINITION OF VARIABLES TAKEN TO THE DATA
data_CC = log(exp(c) + exp(c1)) - CC_SS + TRENDY ;

```

```

data_DP = dp ;
data_IH = I - IH_SS + TRENDH ;
data_IK = log ( exp(kc) - (1-DKC)*exp(kc(-1)-TRENDK) + exp(kh) -
(1-DKH)*exp(kh(-1)-TRENDY) ) - IK_SS + TRENDK ;
data_NC = ALPHA*nc + (1-ALPHA)*nc1 - NC_SS ;
data_NH = ALPHA*nh + (1-ALPHA)*nh1 - NH_SS ;
data_QQ = q - QQ_SS + TRENDQ ;
data_RR = r - log(1/BETA) ;
data_WC = log(exp(wc)+exp(wc1)) ;
data_WH = log(exp(wh)+exp(wh1)) ;
data_YY = Y- CC_SS + TRENDY;
data_KH = log(exp(kh) - (1-DKH)*exp(kh(-1)-TRENDY)) - IK_SS + TRENDK;
zata_GDP =
(exp(CC_SS)/(exp(CC_SS)+exp(QQ_SS+IH_SS)+exp(IK_SS)))*(data_CC-TRENDY)
+(exp(IK_SS)/(exp(CC_SS)+exp(QQ_SS+IH_SS)+exp(IK_SS)))*(data_IK-TRENDK)
+(exp(QQ_SS+IH_SS)/(exp(CC_SS)+exp(QQ_SS+IH_SS)+exp(IK_SS)))*(data_IH-TRENDH)
+log(exp(G));
//% STOCHASTIC PROCESSES FOR THE SHOCKS
a_c = RHO_AC * a_c(-1) + eps_c ;
a_h = RHO_AH * a_h(-1) + eps_h ;
a_j = RHO_AJ * a_j(-1) + eps_j ;
a_k = RHO_AK * a_k(-1) + eps_k ;
a_t = RHO_AT * a_t(-1) + eps_t ;
a_z = RHO_AZ * a_z(-1) + eps_z ;
a_g = RHO_AG * a_g(-1) + eps_g ;
a_s = RHO_AS * a_s(-1) + eps_s ;
a_pl = RHO_PL* a_pl(-1) + eps_pl ;
a_ht = RHO_HT * a_ht(-1) + eps_ht ;
end ;
steady;
shocks;
var eps_g ; stderr STDERR_AG ;
var eps_c ; stderr STDERR_AC ;
var eps_h ; stderr STDERR_AH ;
var eps_k ; stderr STDERR_AK ;
var eps_j ; stderr STDERR_AJ ;
var eps_e ; stderr STDERR_AE ;

```

```

var eps_z ; stderr STDERR_AZ ;
var eps_t ; stderr STDERR_AT ;
var eps_p ; stderr STDERR_AP ;
var eps_l ; stderr STDERR_AL ;
var eps_ht ; stderr STDERR_HT ;
var eps_s ; stderr STDERR_AS ;
var eps_pl; stderr STDERR_PL;
end;

stoch_simul(order=1,irf=20) data_CC data_IK data_IH data_QQ zata_GDP data_RR ;
end;

estimated_params ;

//% START VALUES & PRIORS
stderr eps_c , uniform_pdf, 3 , 1.7 ;
stderr eps_e , uniform_pdf, 3 , 1.7;
stderr eps_h , uniform_pdf, 3 , 1.7 ;
stderr eps_s , uniform_pdf, 3 , 1.7 ;
stderr eps_j , uniform_pdf, 3 , 1.7 ;
stderr eps_k , uniform_pdf, 3 , 1.7 ;
stderr eps_p , uniform_pdf, 3 , 1.7 ;
stderr eps_t , uniform_pdf, 3 , 1.7 ;
stderr eps_z , uniform_pdf, 3 , 1.7 ;
stderr eps_l , uniform_pdf, 3 , 1.7 ;
stderr eps_g , uniform_pdf, 3 , 1.7 ;
stderr eps_ht , uniform_pdf, 3 , 1.7 ;
stderr eps_pl , uniform_pdf, 3 , 1.7 ;
ALPHA , beta_pdf , 0.65 , 0.05 ;
EC , beta_pdf , 0.50 , 0.075 ;
EC1 , beta_pdf , 0.50 , 0.075 ;
ETA , gamma_pdf , 0.50 , 0.1 ;
ETA1 , gamma_pdf , 0.50 , 0.1 ;
LAGP , beta_pdf , 0.5 , 0.2 ;
LAGWC , beta_pdf , 0.5 , 0.2 ;
LAGWH , beta_pdf , 0.5 , 0.2 ;
NU , normal_pdf , -1 , 0.10 ;
NU1 , normal_pdf , -1 , 0.10 ;
RHO_AC , beta_pdf , 0.80 , 0.10 ;
RHO_AH , beta_pdf , 0.80 , 0.10 ;

```

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RHO_AJ      ,   beta_pdf   ,   0.80   ,   0.10 ;
RHO_AK      ,   beta_pdf   ,   0.80   ,   0.10 ;
RHO_AT      ,   beta_pdf   ,   0.80   ,   0.10 ;
RHO_AZ      ,   beta_pdf   ,   0.80   ,   0.10 ;
RHO_AL      ,   beta_pdf   ,   0.80   ,   0.10 ;
RHO_AG      ,   beta_pdf   ,   0.80   ,   0.10 ;
RHO_HT      ,   beta_pdf   ,   0.80   ,   0.10 ;
RHO_PL      ,   beta_pdf   ,   0.80   ,   0.10 ;
TAYLOR_P    ,   normal_pdf ,   1.5    ,   0.1   ;
TAYLOR_R    ,   beta_pdf   ,   0.75   ,   0.1   ;
TAYLOR_Y    ,   normal_pdf ,   0      ,   0.1   ;
TETA        ,   beta_pdf   ,   0.667  ,   0.05 ;
TETAWC     ,   beta_pdf   ,   0.667  ,   0.05 ;
TETAWH     ,   beta_pdf   ,   0.667  ,   0.05 ;

```

end;

varobs data_CC data_DP data_IH data_IK data_NC data_NH data_QQ data_RR data_WC
data_WH;

observation_trends;
 data_CC (TREND_AC + MUC/(1-MUC)*TREND_AK) ;
 data_IH ((MUH+MUBB)*TREND_AC + (1-MUH-MUBB-KAPPA)*TREND_AH
 +(MUH+MUBB)*MUC/(1-MUC)*TREND_AK) ;
 data_IK (TREND_AC + 1/(1-MUC)*TREND_AK) ;
 data_QQ ((1-MUH-MUBB)*TREND_AC + MUC*(1-MUH-MUBB)/(1-MUC)*TREND_AK -
 (1-MUH-MUBB-KAPPA)*TREND_AH) ;
 end;

estimation (datafile=chinadata2,
 bayesian_irf,irf=20,
 conf_sig=0.95,
 smoother,
 mh_jscale=0.2,
 mode_compute=6,
 presample=0,
 prior_trunc=1e-100,
 mh_replic=200000,
 mh_nblocks=2,
 lik_init=1)

data_CC data YY data_IH data_QQ data_NH data_NC data_DP data_IK data_RR;

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